

Problem	Section Name
<p>1. Find the second derivative of <math>x^2y = 2</math>. (A) <math>\frac{6y}{x^2}</math> (B) <math>\frac{x^2}{y}</math> (C) <math>\frac{y}{x^2}</math> (D) <math>-\frac{6y}{x^2}</math> (E) <math>-\frac{x^2}{6y}</math></p>	
<p>2. If <math>\frac{dy}{dx} = -x \cos(x^2)</math> and <math>y = 2</math> when <math>x = 0</math>, then a solution to the differential equation is (A) <math>y = -\frac{1}{2} \sin(x^2)</math> (B) <math>y = -\frac{1}{2} (\cos x)^2 + 2</math> (C) <math>y = -\frac{1}{2} (\sin x)^2 + 2</math> (D) <math>y = -\frac{1}{2} \cos(x^2) + 2</math> (E) <math>y = -\frac{1}{2} \sin(x^2) + 2</math></p>	
<p>3. <math>\lim_{h \rightarrow 0} \frac{2x^2 + 4xh + 2h^2 - 2x^2}{h}</math> (A) 4 (B) <math>3x^2</math> (C) <math>2x^2</math> (D) <math>4x</math> (E) <math>6x</math></p>	
<p>4. <math>\int 18x^2 \sec^2(3x^3) dx =</math> (A) <math>2 \tan^2(3x^3) + C</math> (B) <math>2 \cot^2(3x^3) + C</math> (C) <math>\cot(3x^3) + C</math> (D) <math>\tan(3x^3) + C</math> (E) <math>2 \tan(3x^3) + C</math></p>	

5. Find  $\frac{dy}{dx}$  if  $2y^2 - 6y = x^4 + 2x^3 - 2x - 5$  at (1,1)

- (A) -1 (B) -2 (C) -3 (D) -4 (E) -5

6. Is the function  $f(x) = \begin{cases} x^3 - 3, & x < 3 \\ 2x + 7, & x \geq 3 \end{cases}$  continuous at  $x = 3$ ? If not, what is the discontinuity?

- (A) The function is continuous (B) Point (C) Essential (D) Jump (E) Removable

\*7.  $\int_0^{\frac{\pi}{4}} \sin x \, dx + \int_{-\frac{\pi}{4}}^0 \cos x \, dx =$

- (A)  $-\sqrt{2}$  (B) -1 (C) 0 (D) 1 (E)  $\sqrt{2}$

\*8. If  $f(x) = 3x^2 - x$  and  $g(x) = f^{-1}(x)$ , then  $g'(10)$  could be

- (A) 59 (B)  $\frac{1}{59}$  (C)  $\frac{1}{10}$  (D) 11 (E)  $\frac{1}{11}$

\*9. The graph of  $y = x^3 - 2x^2 - 5x + 2$  has a local minimum at

- (A) (2.120, 0) (B) (2.120, -8.061) (C) (-0.786, 0) (D) (-0.786, 4.209) (E) (0.666, -1.926)